Name:

## Date:

Topic:

## Class:

| Main Ideas/Questions | Notes/Examples |
| :---: | :---: |
| WARM-UP | Directions: Simplify the following polynomials. |
|  | - $(x+1)(x+5)=$ $\qquad$ $=$ $\qquad$ <br> - $(m-4)(m+6)=$ $\qquad$ $=$ $\qquad$ <br> - $(k-7)(k-3)=$ $\qquad$ $=$ $\qquad$ <br> Trinomials like these can be factored back into a product of binomials! |
| FACTORING TRInOMIALS of the form$a x^{2}+b x+c$ | When "a" cannot be factored out by GCF, we can possibly still factor the trinomial. The steps below show a method called "X Factor Deluxe". |
|  | Step 1: Fill in X-Factor Deluxe setup with ax, ac and b |
|  | Step 2: Identify factors that multiply to equal ac that also add together to equal b |
|  | Step 3: Place the factors in your t-chart. Simply both sides of the tchart as fractions. |
|  | Step 4: Enter your 2 simplified factors into 2 sets of parentheses. (Tip: use FOIL to confirm that your binomials produce the original equation) |
|  | Example: $\begin{aligned} & a x^{2}+b x+d \\ & 1 x^{2}+7 x+12 \end{aligned}$ <br> ax ax <br> Step 1: <br> Step 2: <br> Step 3: <br> Step 4: <br> $(x+3)(x+4)$ |



Name: $\qquad$ Unit 7: Polynomials \& Factoring
Bell: $\qquad$ Homework 7: Factoring Trinomials $\left(x^{2}+b x+c\right)$

| Directions: Factor each polynomial. Check your answers by FOIL. |  |  |
| :--- | :--- | :--- |
| 1. $x^{2}+5 x+6$ | 2. $a^{2}+11 a+30$ | 3. $m^{2}+18 m+56$ |
| 4. $w^{2}+4 w+4$ | 5. $y^{2}+9 y+8$ | 6. $k^{2}+17 k+66$ |
| 7. $y^{2}-6 y+8$ | 8. $x^{2}-11 x+28$ | 9. $n^{2}-n-90$ |
| 10. $p^{2}-14 p+40$ |  | 11. $x^{2}+3 x-70$ |
| 13. $m^{2}+5 m-6$ |  | 12. $w^{2}-12 w+36$ |
| 16. $a^{2}+11 a+18$ | 14. $b^{2}-15 b+56$ | 15. $x^{2}-10 x-39$ |


| Directions: Factor each polynomial. Look for a GCF first. |  |  |
| :--- | :--- | :--- |
| 19. $2 k^{2}-8 k-90$ | 20. $x^{3}+2 x^{2}-48 x$ | 21. $4 w^{2}-52 w-120$ |
| 22. $2 x^{2}+10 x+8$ | 23. $3 y^{2}+24 y+48$ | 24. $5 m^{3}+30 m^{2}-35 m$ |
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